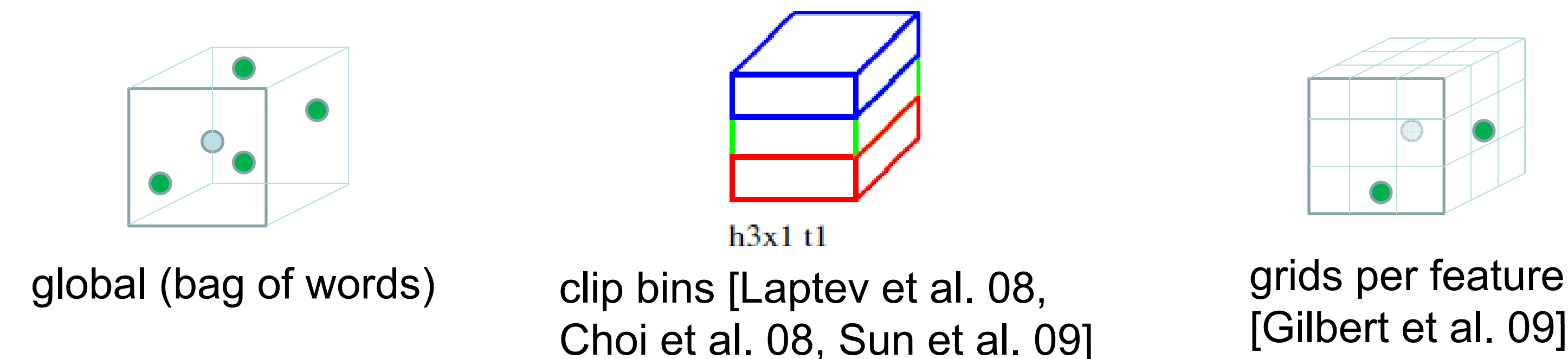


# Learning a Hierarchy of Discriminative Space-Time Neighborhood Features for Human Action Recognition

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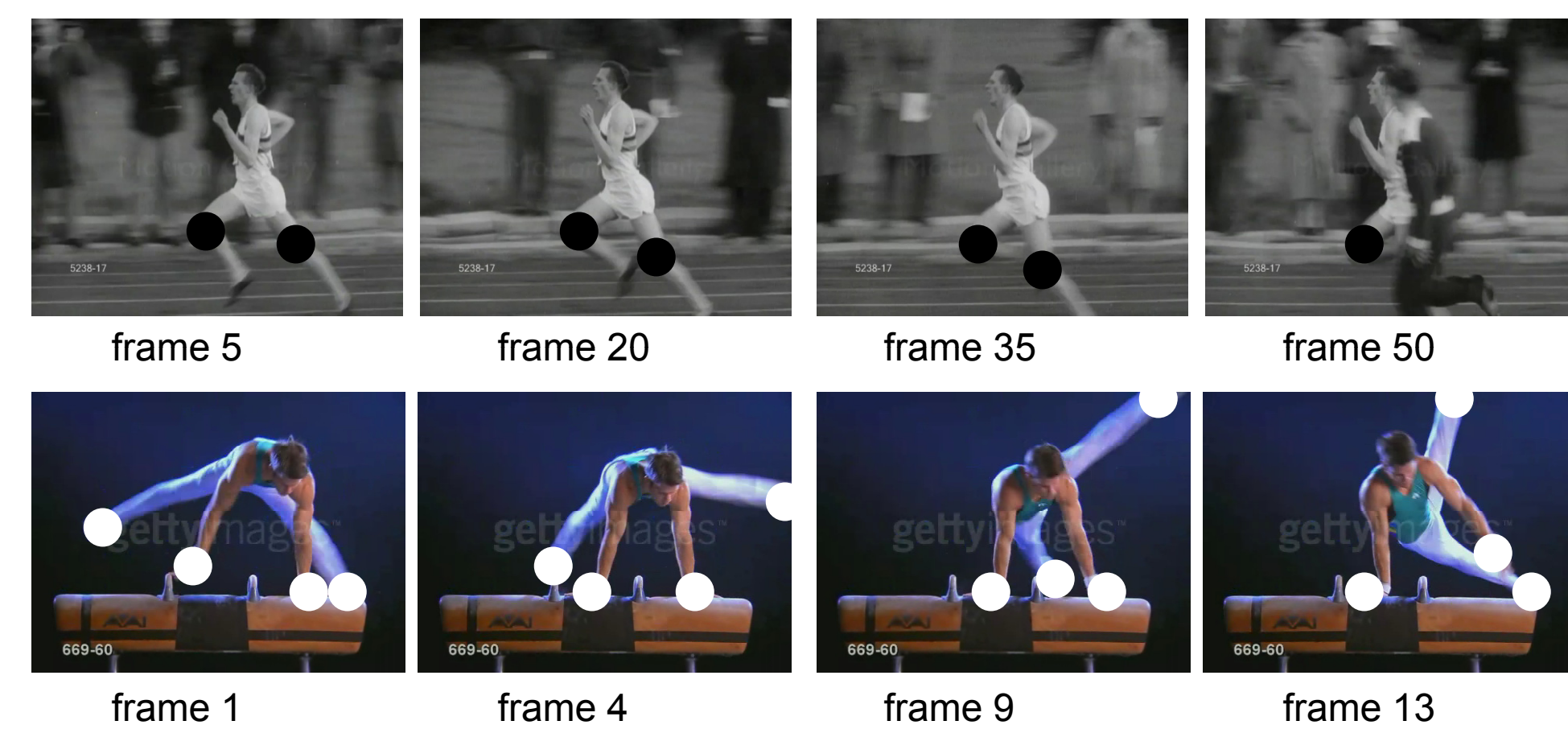
## Problem

- Individually, spatio-temporal features may be "too local" for action recognition.
- How to describe relative spatio-temporal information flexibly?
- Existing neighborhoods / approaches:



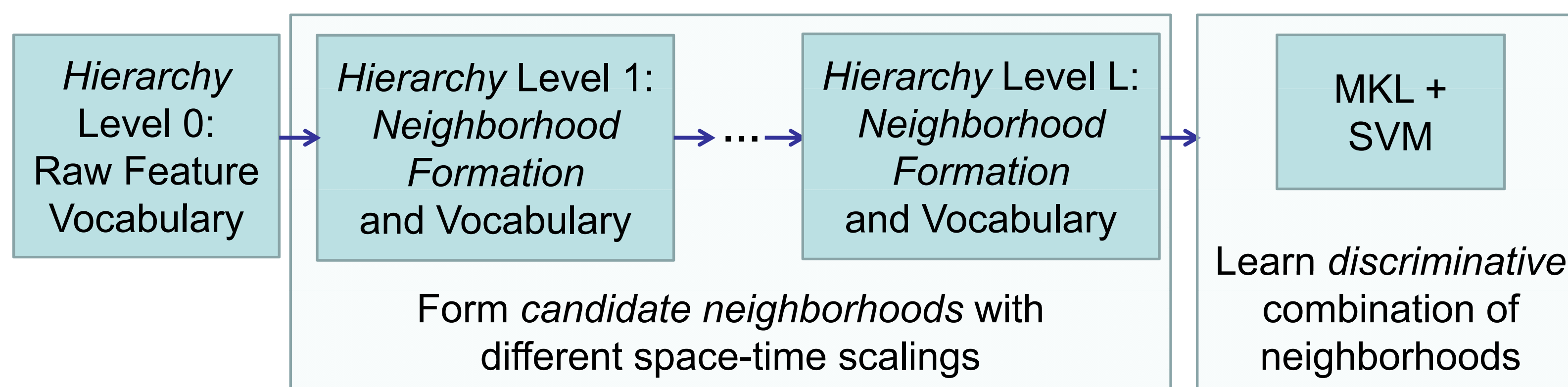
- Fixed-sized grids disregard that action classes have different sparsity of features, and clip-level binning is sensitive to segmentation.

## Our Idea

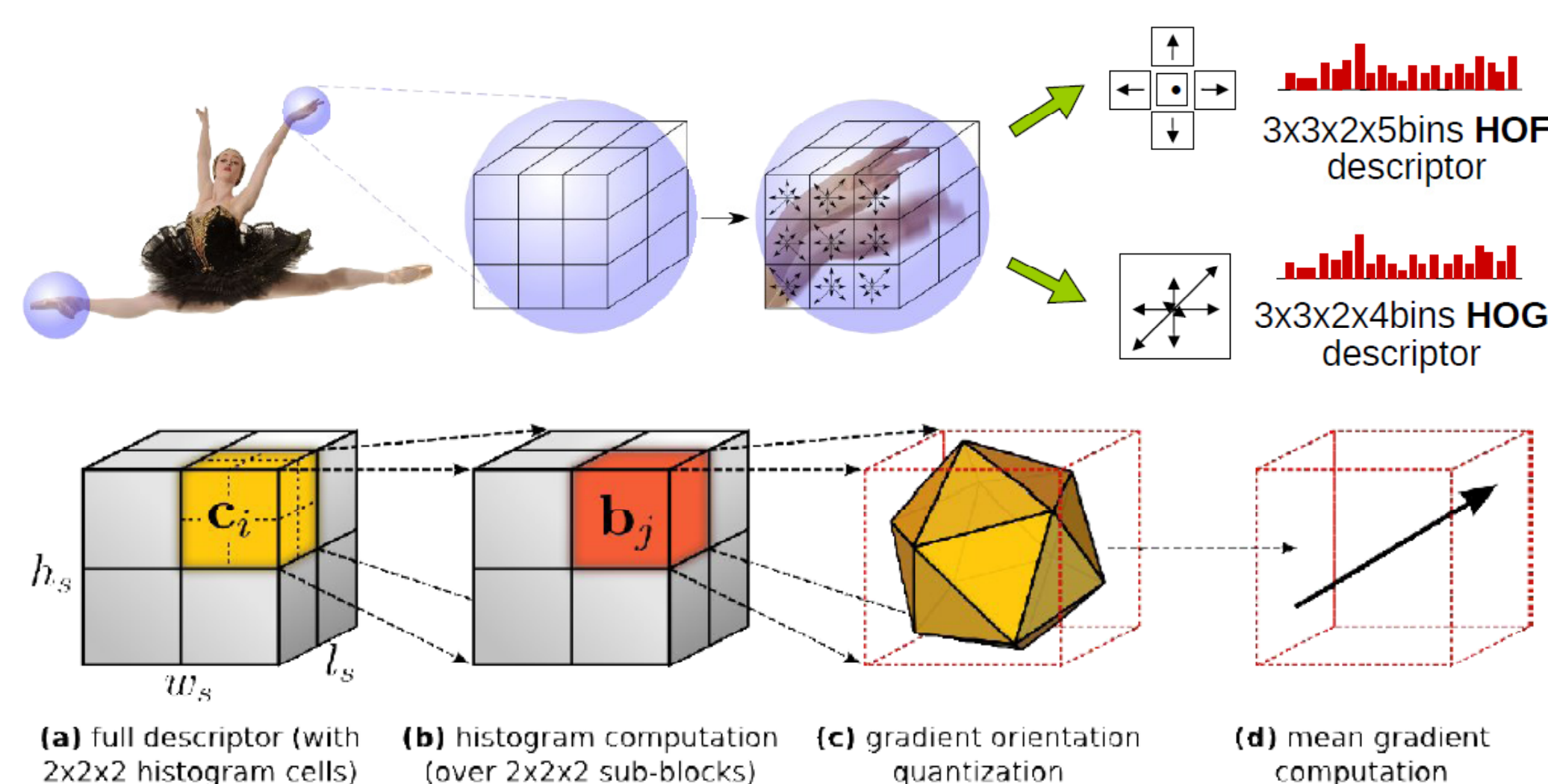


- Compute a visual vocabulary preserving *relative* spatio-temporal relationships.
- Form *variable-shaped* neighborhoods of interest points.
- *Learn* a hierarchy of discriminative neighborhoods for different action classes.

## Approach Summary



## Base Features

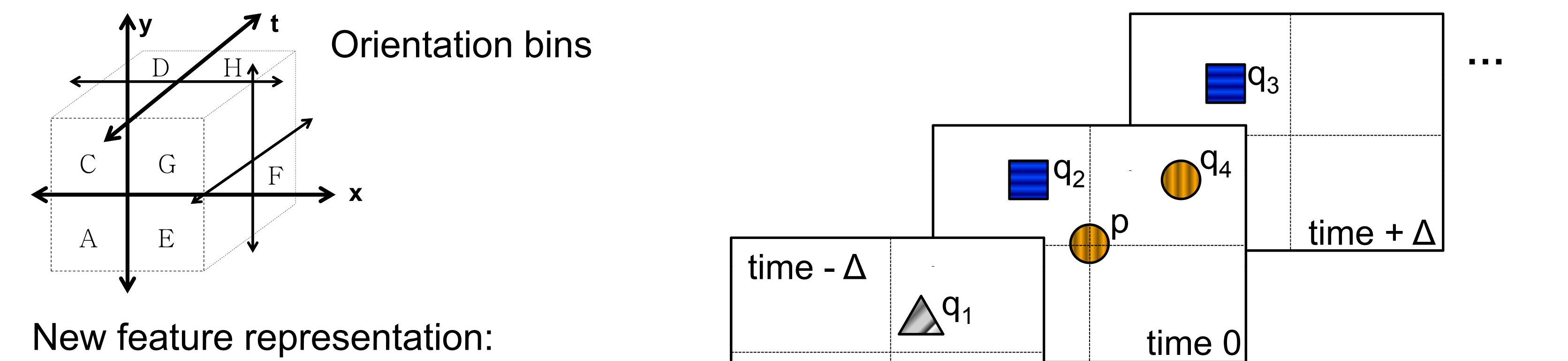


HoF/HoG features [Laptev et al., CVPR 2008] for sparse interest points [image: Wang et al. 09]

HoG3D features [Kläser et al., BMVC 2008] for dense interest points

## Neighborhood Formation

- Form neighborhoods of interest points around each point as a center.
- For each of the  $N$  nearest neighbors, record its orientation with respect to the central point and its level-0 visual word (computed on the raw interest point level).



counts for	bin A	bin B	bin C	bin D	bin E	bin F	bin G	bin H	
neighbors 0 to 0	0	0	0	0	0	0	0	0	1
neighbors 0 to 1	0	1	0	0	0	0	0	0	1 1
neighbors 0 to 2	0	0	1	0	0	0	0	0	1 1
neighbors 0 to 3	0	0	0	2	0	0	0	0	1 1
neighbors 0 to 4	0	0	0	0	2	0	0	0	1 2

cumulative

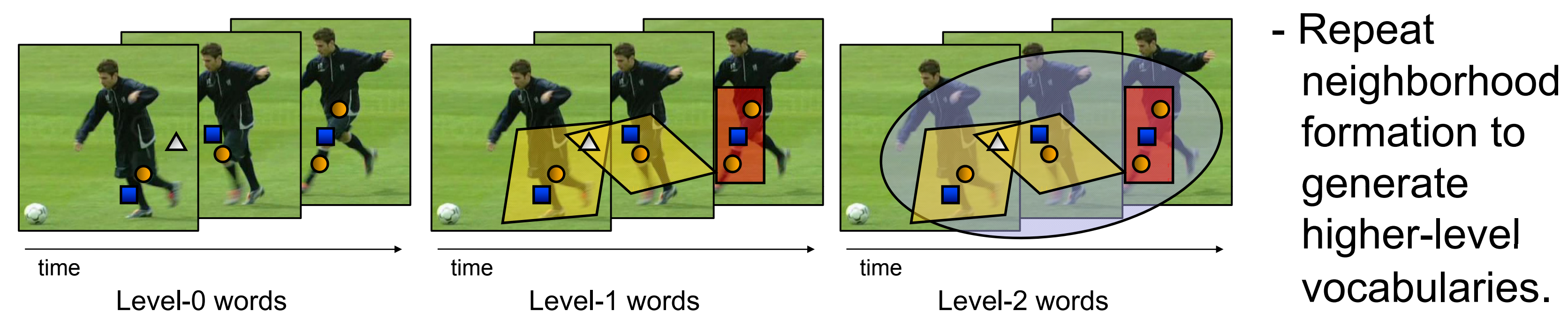
- Reshape each histogram into a vector to obtain next level's feature representation.
- Quantize new representations of all points to form next level's vocabulary  $H$ .

## Space-Time Distance Scaling

- One pixel  $\neq$  one frame, must consider neighborhoods for different scalings of  $x, y, t$ .

$$D_{\sigma}(p, q) = \left( \sum_{i=1}^3 \frac{1}{\sigma_i} (p(i) - q(i))^2 \right)^{\frac{1}{2}}$$

## Hierarchy of Neighborhood Words



$$\mathcal{H}_{\sigma}(V) = \{H_0(V), H_1(V), \dots, H_L(V)\}$$

## Discriminative Space-Time Neighborhoods

- $C = F(ML+1) \chi^2$  kernels ( $F$  feature types,  $M$  distance scalings,  $L$  levels).
- Given these kernels, use Multiple Kernel Learning (MKL) to learn the most discriminative combinations.

$$K(H_i, H_j) = \sum_{c \in C} w_c \exp \left( -\frac{1}{A_c} \chi^2(H_i^c, H_j^c) \right)$$

## Results

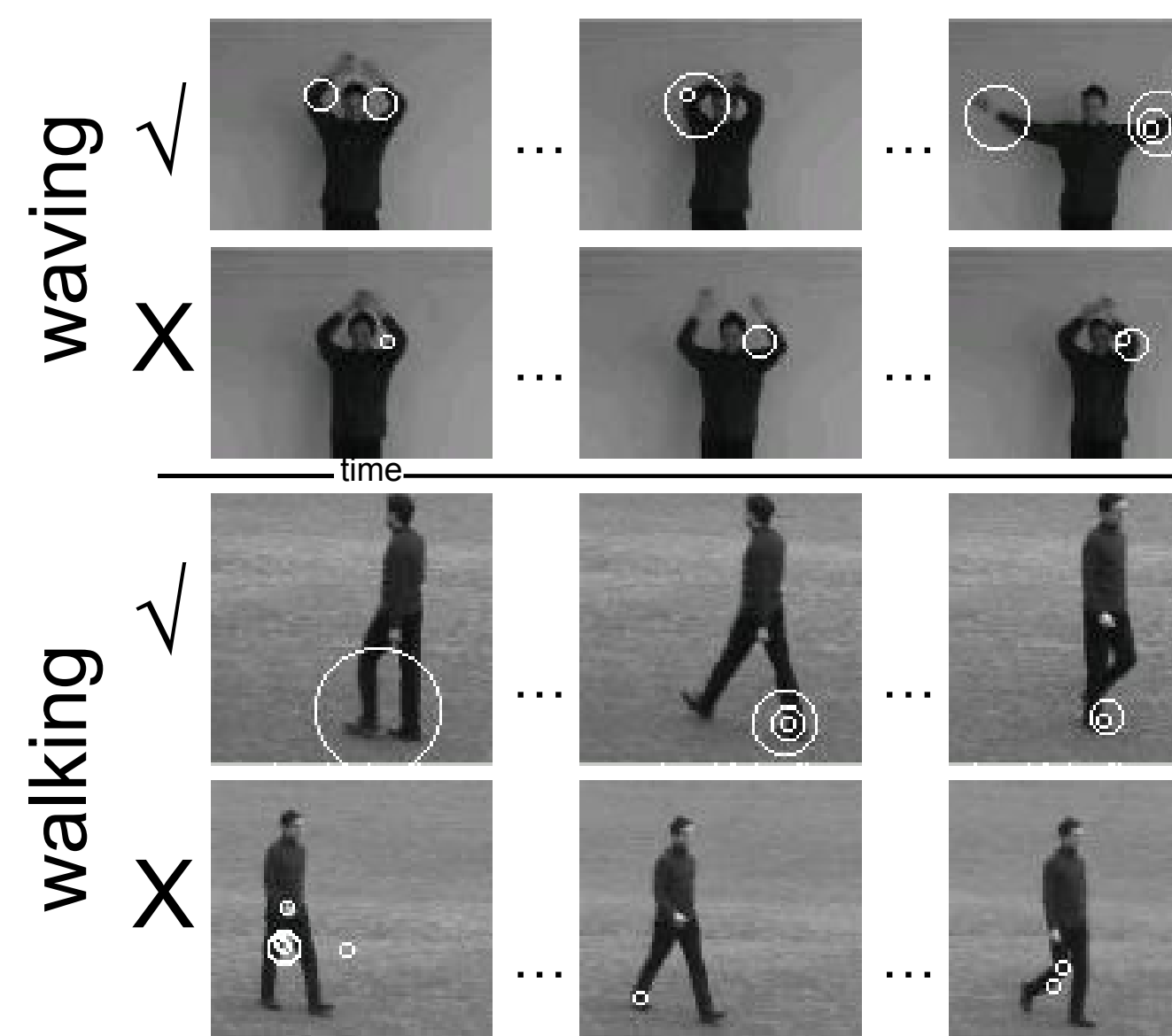
### KTH Dataset



[Schuld et al., ICPR 2004]  
6 classes, 600 videos

Approach	Accuracy
Laptev et al. 2008	91.80%
Gilbert et al. 2009	94.50%
Our method	94.53%

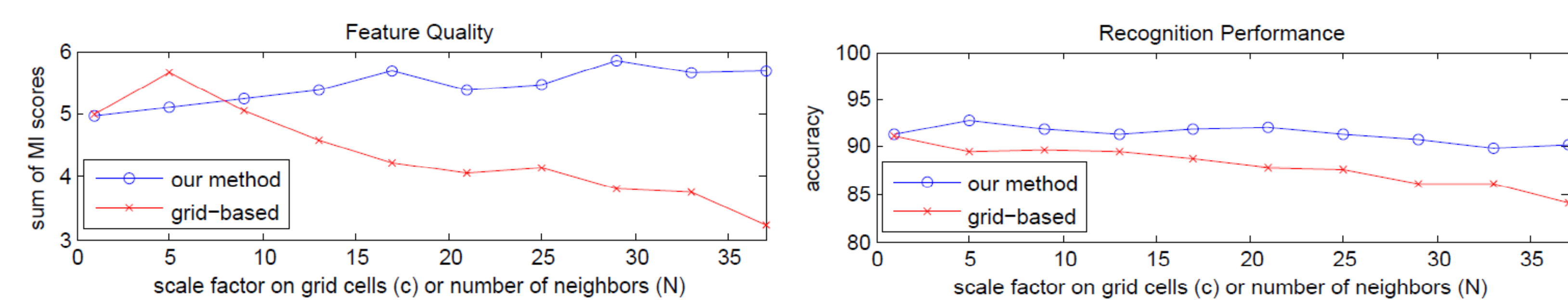
Accuracy equal to best known for KTH.



Examples of neighborhoods learned to be *useful* / *not useful*.

Implementation details:  $k = 300$  (4k for UCF level-0);  $N = 5$ ;  $L = 2$

### Fixed-Size vs Variable-Shaped Neighborhoods



Feature distinctiveness and recognition accuracy of our level-1 neighborhood words (one distance scaling) less sensitive to neighborhood size parameter than grid-based baseline.

## Conclusions

- Hierarchies capture feature relationships at multiple granularities.
- Showed importance of translation-invariant and discriminative variable-shaped neighborhoods.

### UCF Sports Dataset



[Rodriguez et al., CVPR 2008]  
10 classes, 150 videos + 150 flipped  
Leave-one-out, flip of test *not* in train

Approach	Accuracy/Class
Our method	87.27%
Average of all kernels	84.43%
Level-0 baseline	85.49%

State-of-the-art results for UCF Sports.

Levels	Accuracy/Class	Average MKL Weight
0	85.49%	0.63 ( $\pm 0.3$ )
1	82.16%	0.10 ( $\pm 0.2$ )
2	73.30%	0.10 ( $\pm 0.2$ )

All vocabulary levels for one feature distance contribute to the accuracy on UCF Sports.